Lidget Green Primary School – Progression in Multiplication 2016

Year group	Objective	Method	Practical methods	Pictorial/written methods	Vocabulary	Mental recall
EYFS	Repeated grouping Counting in pairs Doubling	Practical / recorded using ICT (eg digital photos / pictures on IWB)	Toys, Beads, Rhymes, Counters, objects, number lines, stories, role play, number lines- hopping on Counting pairs	Drawings of problems Begin to record using marks they can explain	Double, pair, twos, fives, tens, group, set	Chanting of counting in 2s and 10s

Consolidation of EYFS Practical / Consolidation of long number lines, tapes, 100 square, counting Pictures to represent working out As previous. recorded sticks, Dienes, coins, cubes, bead strings, peg **EYFS** using ICT Begin to understand boards Count on in..., multiplication through lots of, groups of Chanting of counting Informal grouping pattern, in 2s, 5s 10s written small quantities, methods Double pairs to 10, then 20 Solve one-step problems Horizontal involving multiplication recording Jumps along a number line in 2s counting on in groups of... Make connections between arrays and number patterns Double numbers and quantities Count in multiples of twos, fives and tens **Y1** counting groups of objects arranging objects in arrays

Consolidation of Y1

Count in steps of 2, 3, and 5 from 0, and in 10s from any number, forward and backward

Recall and use multiplication facts for the 2, 5 and 10 multiplication tables, including recognising odd and even numbers

Calculate mathematical statements for multiplication within the multiplication tables and write them using the multiplication (x) and equals (=) signs

Show that multiplication of two numbers can be done in any order (**commutativity**)

Solve problems involving multiplication using materials, arrays, repeated addition, mental methods, and multiplication facts, including problems in contexts.

Y2

Connect the 10 x multiplication table to place value

Relate multiplication to grouping discrete and continuous quantities, to arrays and to repeated addition.

Use **commutativity** and inverse relations to develop multiplicative reasoning (for example, $4 \times 5 = 20$ and $20 \div 5 = 4$).

Practical

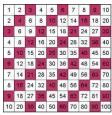
Informal written methods

Horizontal recording

Counting sticks, bead strings, number lines, 100 squares, Dienes, objects in groups and arrays



Counting groups of...



Counting on in...



Arranging objects in arrays

Arrays





Horizontal recording as repeat addition and using x and =

Multiplying by 10 using place value

Tens	Units
	8
8	0

As previous.

Repeated

addition in

groups

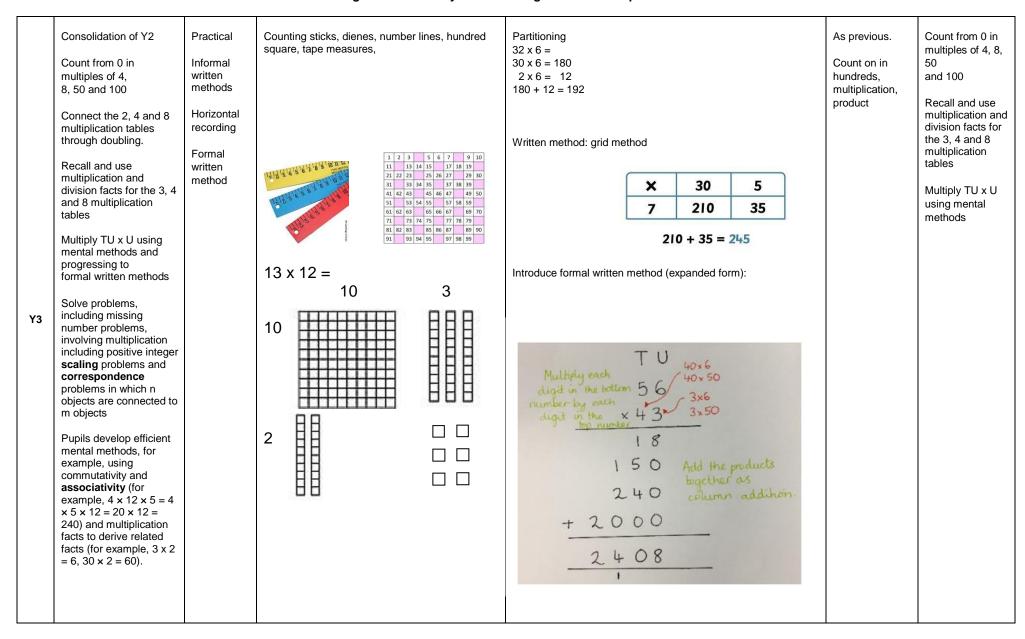
odd, even, every other, how many times, multiple of, sequence, times, multiplied by, multiplied by, multiple of, once, twice, three times, four times, five times... ten times... as (big, long, wide and so on), repeated addition, array, row, column, double

Consolidation of Y1

Count in steps of 2, 3, and 5 from 0, and in 10s from any number, forward and backward

Recall and use multiplication facts for the 2, 5 and 10 multiplication tables, including recognising odd and even numbers

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As previous with

increasing fluency

Count in multiples of

6, 7, 9, 25 and 1000

Recall multiplication

tables up to 12 x 12 Use place value,

known and derived

multiplying by 0 and 1

Recognise and use

mental calculations

factor pairs and

commutativity in

facts to multiply mentally, including:

and multiplying

together three

numbers

facts for multiplication

Consolidation of Y3 Practical Dienes, place value counters, coins Written method: grid method (to be used As previous. when introducing) Count in multiples of 6, 7, 9, 25 factor Informal and 1000 written methods 300 20 7 × Recall multiplication facts for 42 6 120 Formal written 1800 multiplication tables up to 12 x method 1800 + 120 + 47 = 1962 Use place value, known and derived facts to multiply mentally, including: multiplying by 0 and 1 and multiplying Formal written method (expanded form) together three numbers 327 <u>x 6</u> Recognise and use factor pairs 42 and **commutativity** in mental 120 calculations 1800 **Y4** Multiply TU x U using formal 1962 written layout Formal written method (compact form) Multiply HTU x U using formal 327 written layout Solve problems involving multiplying and adding, including using the distributive law to multiply two digit numbers by one digit, integer scaling problems and harder correspondence problems

such as n objects are connected to m objects.

	Consolidation of Y4	Practical	Dienes, place value counters, coins	Written method: grid method (to be used when introducing)	As previous.	As previous with increasing fluency
	Identify multiples and factors, including finding all factor pairs of a number, and common factors of two numbers	Informal written methods Formal written	Constitution	1 000 600 20 4 6 6 000 3 600 120 24	Factorise, prime, prime fctor	Multiply numbers mentally drawing upon known facts eg 300 x 6 = 1800
	Know and use the vocabulary of prime numbers, prime factors and composite (non- prime) numbers	method		6000 3600 120 + 24		0 = 1000
	Establish whether a number up to 100 is prime and recall prime numbers up to 19		100 10	9744 1000 600 20 4 30 30 000 18 000 600 120		
	ThHTU x U using a formal written method		<u> </u>	6 6 000 3 600 120 24		
	ThHTU x TU using a formal written method, including long multiplication for two-digit numbers			30000 18000 6000 3600 600		
Y5	Multiply numbers mentally drawing upon known facts			120 120 + 24		
	Multiply whole numbers and those involving decimals by 10, 100 and 1000			<u>58464</u>		
	Recognise and use square numbers and cube numbers, and the notation for squared (2) and cubed (3)			Formal written method (expanded form) 1624 1624 X 6 X 26 24 24 120 120		
	Solve problems involving multiplication including using their knowledge of factors and multiples, squares and cubes			3600 3600 6000 6000 9744 80 400 12000		
	Solve problems involving multiplication.			20000 42224 111		
				Formal written method (compact form) 1624		
				<u>42224</u> 111		

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	Consolidation of Y5	Practical	Dienes, place value counters, coins	As Year 5	As previous.	As previous with increasing fluency
Y6	ThHTU x TU using the formal written method of long multiplication Identify common factors, common multiples and prime numbers Explore the order of operations using brackets; for example, 2 + 1 x 3 = 5 and (2 + 1) x 3 = 9. Use common factors to find equivalent fractions. Multiply simple pairs of proper fractions, writing the answer in its simplest form (1/2 x 2/4 = 2/8 = 1/4)	Informal written methods Formal written method		Equivalent Fractions: $\frac{3}{2}(x3) = \frac{9}{5}$ 5(x3) = 15 Multiplying fractions $\frac{1}{3} = \frac{3}{3}$ (multiply numerators) $2 \times 8 = 16$ (multiply denominators)	Common denominator	Subtract mentally with increasingly large numbers and mixed operations.

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Glossary:

Commutativity: can be done in any order: $3 \times 5 = 5 \times 3$. Multiplication and addition are commutative. Subtraction and division are not.

Scaling: increasing a number by a scale factor

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V	W					101

A scaling model is also used to compare two numbers or amounts involving phrases such as 'so many times as much (or as many)'

Correspondence: If you know a fact for one object, this can be used to find further facts, e.g. 1 sandwich costs £2, so 4 sandwiches cost £8

Associativity: The property that if the same operation is applied to the same numbers, the answer will be the same.

Addition is associative, e.g. 1 + (2 + 3) = (1 + 2) + 3.

Multiplication is associative, e.g. $1 \times (2 \times 3) = (1 \times 2) \times 3$.

Subtraction and division are not associative because, as counter examples, $1 - (2 - 3) \neq (1 - 2) - 3$ and $1 \div (2 \div 3) \neq (1 \div 2) \div 3$.

We can use the associative law to help with multiplication calculations. For example: Find 5×26 :

Factorise 26 as 13×2 , so we now have $13 \times 2 \times 5$. Use the associative law to associate the 2 with the five, rather than with the 13 in order to make the calculation easier. $(13 \times 2) \times 5 = 13 \times (2 \times 5) = 13 \times 10 = 130$.

Distributive law: The property that you will get the same answer when you: multiply a number by a group of numbers added together, or do each multiplication separately then add them, eg $3 \times (2 + 4)$ is the same as $(3 \times 2) + (3 \times 4)$